

<b>Study programme(s):</b> Applied Mathematics – Data Science
<b>Level:</b> Master studies
<b>Course title:</b> Network science
<b>Lecturer:</b> Nataša M. Krklec Jerinkić
<b>Status:</b> obligatory
<b>ECTS:</b> 5
<b>Requirements:</b> Basics of linear algebra, graph theory, probability and statistics
<b>Learning objectives</b> <ul style="list-style-type: none"> <li>- Understanding of a wide range of network models, metrics, and processes</li> <li>- Understanding of advantages/disadvantages of various network models for a given real-world application</li> <li>- Ability to model and analyze networks using network analysis tools and libraries</li> </ul>
<b>Learning outcomes</b> <ul style="list-style-type: none"> <li>- Ability and experience in modelling, sampling, and analyzing real-world networks</li> <li>- Ability to apply the taught network concepts on research problems from a wide variety of application areas</li> </ul>
<b>Syllabus</b> <i>Theoretical instruction</i> Elements of algebraic graph theory: adjacency matrix; Laplacian matrix; spectra of Laplacian matrix; Fiedler value. Graph types and representations. Network metrics and notions of connectedness, density, distance, centrality, transitivity and node similarity. Structure and evolution of complex networks: connected component analysis, $k$ -cores, cliques and ego-networks, degree distribution analysis (identifying power-laws in empirical data and measuring of preferential attachment), assortativity mixing patterns, community structure, emergence of giant connected components, the densification law and shrinking diameters. Mathematical models of complex networks: random graphs (Erdős–Rényi, Gilbert, geometric models, the configuration model), small-world networks (Watts-Strogatz, Kleinberg) and scale-free networks (the Barabasi-Albert model and modifications, copying based models). Community detection techniques and graph clustering evaluation metrics. Link prediction. Processes on networks: diffusion; gossip; consensus; virus spreading; voter models; emergent behavior; mean-field analysis.  <i>Practical instruction</i> Application examples in telecom, electric grid (smart grid), sensor networks, social networks, medicine, etc.; Implementation of the taught methods in MATLAB/Java/R; Application of selected methods on real-world examples through the course project. Network analysis tools (e.g. Gephi, Pajek) and libraries (e.g. iGraph, Jung). Practical introduction to graph databases.
<b>Literature</b> <ol style="list-style-type: none"> <li>7. <a href="#">E. D. Kolaczyk: Statistical Analysis of Network Data: Methods and Models, Springer, 2009</a></li> <li>8. <a href="#">M. E. J. Newman: Networks - An introduction, Oxford University Press, 2010.</a></li> <li>9. F. Chung: Spectral Graph Theory, CBMS Regional Conference Series in Mathematics, No. 92, 1996</li> <li>10. <a href="#">D. Easley, J. Kleinberg. Networks, Crowds and Markets: Reasoning About a Highly Connected World. Cambridge University Press, 2010.</a></li> </ol>

11. W. de Nooy, A. Mrvar, V. Batagelj. <i>Exploratory Social Network Analysis with Pajek</i> . Cambridge University Press, 2005.				
<b>Weekly teaching load</b>				Other: 0
Lectures: 2	Exercises: 2	Other forms of teaching: 0	Student research: 0	
<b>Teaching methodology</b>				
Lectures; revisions of the material; active students' participation in problem solving; knowledge tests – colloquia; application of the taught material on real-world examples within the course project.				
<b>Grading (maximum number of points 100)</b>				
<b>Pre-exam obligations</b>		<b>points</b>	<b>Final exam</b>	<b>points</b>
Colloquia	Course project	60 = 30 (Colloquia) + 30 (Course project)	written exam	40