| Course title: Discrete Random Structures |
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| Lecturer(s): Stojaković Z. Miloš, Mašulović M. Dragan |
| Status: elective |
| ECTS: 7 |
| Requirements: -- |
| Learning objectives <br> Introduction of advanced discrete probability theory, and its application on discrete structures <br> and combinatorial problems. |
| Learning outcome <br> Upon completion of the course, the student should master the basic concepts of discrete <br> probability theory, as well as basic methods for its application in solving combinatorial <br> problems. Special attention will be devoted to random graphs. |
| Syllabus <br> Basics of the probabilistic method. Applications of linearity of expectation and the first moment <br> method, graph subdivision, Ramsey numbers, independent set of vertices, colorings. The second <br> moment method. Concentration of a parameter. Chernoff bounds. <br> Random graphs. Appearance of a fixed subgraph, connectivity, largest clique, chromatic number, <br> giant component, phase transition. Positional games on random graphs. Pseudo-random graphs. <br> Lovasz-Local-Lemma, applications. Discrepancy, linear and hereditary. Coding, game theory, <br> Liar game. Derandomization, small sample spaces. Random walks. Entropy. |
| Recommended literature <br> 1. Noga Alon, Joel H. Spencer: The Probabilistic Method, John Wiley \& Sons, Inc., 2000. <br> 2. Svante Janson, Tomasz Luczak, Andrzej Rucinsky: Random Graphs, John Wiley \& Sons, <br> Inc., 2000. |
| Weekly teaching load |
| Teaching methodology <br> Lectures, with active participation of the students, discussion, etc. A student is supposed to write <br> a seminar paper. |
| Grading method (maximal number of points 100) |
| Colloquia 30 points, oral exam 70 points |

