| Course title: Discrete Mathematics |
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| Lecturer(s): Stojaković Z. Miloš, Mašulović M. Dragan |
| Status: elective |
| ECTS: 7 |
| Requirements: - |
| Learning objectives <br> Introduction of advanced techniques for solving problems on discrete structures. Special <br> attention will be devoted to problems in combinatorics, graph theory and discrete geometry. <br> Learning outcome <br> Upon completion of the course, the student should master the advanced techniques that are <br> applicable on problems on discrete structures, and (s)he should be able to adjust those techniques <br> to the related problems. <br> Syllabus <br> Applications of double-counting, Zarankiewicz problem, Theorem of Erdos and Szekeres. <br> Sunflowers, basic model and variations, applications. Blocking sets. Density and universality of <br> a set of vectors, hereditary sets, $k$-wise independence of random variables and permutations. <br> Van der Waerden Theomem, Hales-Jewett Theorem, Ramsey theory, Ramsey numbers, <br> Theorems of Ramsey type, theorems on bipartite graphs, theorems on induced subgraphs. <br> Euclidean Ramsey theory, unit distance problem. <br> Epsilon nets and VC-dimension, $k$-sets, counting $k$-sets. Helly's Theorem and generalizations, <br> colored Caratheodory Theorem, Twerberg Theorem. <br> Incidence of points and lines, intersection theorem, intersection number of graphs. Art Gallery <br> Problem. <br> Linear algebra method, linear spaces in combinatorics. Inclusive and disjoint matrices. Linear <br> codes and linear combinations. <br> Recommended literature <br> 1. Stasys Jukna: Extremal Combinatorics, Springer, 2001. <br>  <br> Sons, Inc., 1990. <br> 3. Jiri Matousek: Lectures on Discrete Geometry, Springer, 2002. <br> Weekly teaching load <br> Teaching methodology <br> Lectures, with active participation of the students, discussion, etc. A student is supposed to write <br> a seminar paper. <br> Grading method (maximal number of points 100) <br> Colloquia 30 points, oral exam 70 points |

