Study programme(s): Applied Mathematics – Data Science

Level: Master studies

Course title: Graphical Models and Probabilistic Inference

Lecturer: Dušan Jakovetić

Status: elective

ECTS: 5

Requirements: Basics of theory of probability

Learning objectives

- Understanding of theory and practical implementations of graphical models and Belief-Propagation (BP) algorithms for probabilistic inference
- Understanding advantages/disadvantages of various graphical models for a given real-world application
- Ability to apply graphical models and BP algorithms in MATLAB in real-world problems

Learning outcomes

- Ability and experience in modelling, graphical representation, design and analysis of BP algorithms in real-world probabilistic inference problems
- Ability to apply the concepts of probabilistic inference on research problems from a wide variety of application areas

Syllabus

Theoretical instruction

Graphical models for probabilistic systems modeling: directed graphical models - Bayesian Networks; undirected graphical models - Markov Random Fields; Factor Graphs.

Exact Inference: Efficient marginalization via message-passing Belief-Propagation algorithms; Sum-product algorithm; Max-product (Min-Sum) algorithm.

Approximate Inference: Loopy Belief-Propagation, Monte Carlo Methods.

Learning in Graphical Models: ML estimation, Expectation-Maximization algorithm

Practical instruction

Application examples in communication systems, image processing, statistical physics, electrical grid (smart grid), computational biology etc.; Implementation methods in MATLAB; Application of selected methods on real-world examples through the course project.

Literature

- 21. D. Koller and N. Friedman: Probabilistic Graphical Models, MIT Press, 2009
- 22. M. J. Wainwright and M. I. Jordan, Graphical models, exponential families, and variational inference, Foundations and Trends in Machine Learning, 2008.
- 23. C. Bishop: Pattern recognition and machine learning, Springer, 2006

Weekly teaching load				
Lectures: 2	Exercises: 2	Other forms of teaching: 0	Student research: 0	

Teaching methodology

Lectures; revisions of the material; active students' participation in problem solving; knowledge tests – colloquia; application of the taught material on real-world examples within the course project.

Grading (maximum number of points 100)

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Pre-exam obligations		points	Final exam	points		
Colloquia	Course	70 = 30 (Colloquia) +	written exam	30		
	project	40 (Course project)				