

<b>Study programme(s):</b> Mathematics (M3)				
<b>Level:</b> bachelor				
<b>Course title:</b> Foundations of Geometry 1 (M3-09)				
<b>Lecturer:</b> Vojislav Petrović, Olga Bodroža-Pantić				
<b>Status:</b> obligatory				
<b>ECTS:</b> 8				
<b>Requirements:</b> none				
<b>Learning objectives</b> Axiomatic approach to absolute and Euclidean geometry. Introducing basic geometric figures in Euclidean plane and space. Adoption of basic proof techniques.				
<b>Learning outcomes</b> Students are expected to be able to apply the axiomatic system in proving standard theorems and to solve standard geometric problems in the plane and in the space.				
<b>Syllabus</b> <i>Theoretical instruction</i> Hilbert axiomatic system of absolute and Euclidean geometry. Basic geometric figures in the plane and in the space. Congruence and similarity transformations. <i>Practical instruction</i> Proving various assertions on lines, angles, triangles, quadrilaterals, cycles, planes, tetrahedrons, spheres etc. Applications of congruence and similarity transformations.				
<b>Literature</b> 1. M. Prvanović, <i>Osnovi geometrije</i> , Građevinska knjiga, Beograd 1987. 2. Z. Lučić, <i>Euklidska i hiperbolična geometrija</i> , Univerzitet u Beogradu 1994. 3. K. Borsuk, W. Szmielew, <i>Foundation of Geometry</i> , Nort-Holland, Amsterdam 1960. 4. R. Tošić, V. Petrović, <i>Problemi iz geometrije (metodička zbirka zadataka)</i> Univerzitet u Novom Sadu 1995.				
<b>Weekly teaching load</b>				Other: 0
Lectures: <b>4</b>	Exercises: <b>4</b>	Other forms of teaching: 0	Student research: 0	
<b>Teaching methodology</b> Classical teaching supported by Powerpoint presentations. Exercises consist of analyzing and solving typical problems. Two colloquia as qualifying written exams and a final oral exam.				
<b>Grading method (maximum number of points 100)</b>				
<b>Pre-exam obligations</b>	<b>points</b>	<b>Final exam</b>	<b>points</b>	
Colloquia	<b>50</b>	Oral exam	<b>50</b>	